 within the figure for example:


## There are direct and inverse formulas for:

Calculate the area or height knowing the sides

sides or height knowing the area
the figure and the main formula is that of the rectangle

All the others derive from this

The Pythagorean theorem is one of the most famous theorems in all of geometry, it states that the square built on the hypotenuse of a right triangle is equivalent to the sum of the squares built on the legs of the triangle.


## The

## Pythagorean Theorem




THE CIRCLE


The circle is a set of points that are no more than the radius from the centre.
It has a circumference (set of points equidistant from a point called "the centre") and an area (area inside the circumference). We can imagine that the circle is a polygon with infinitely small sides

## Volume <br> Space occupied by the solid

## External surface

 Surface of his faces <br> \title{3D <br> \title{
3D <br> <br> FIGURES
} <br> <br> FIGURES
}

for example, faces of a parallepiped


## We construct some of these

 solids, and we solve problems about them.


The sides vary in the same way.
The ratio between $y$ and $x$ is constant.

Proportions are built to solve problems.

The graphic is a straight line passing through the origin.

$$
y=\mathrm{K} \cdot x
$$

The quantities vary inversely.
The product between $x$ and $y$ is constant.

Equations of multiplications are constructed to solve problems.

The graphic is a curved line (hyperbole).


$$
y \cdot x=K
$$

## Relative numbers

Relative numbers are numbers that can be either greater than zero(0) marked with a + , or less than zero(0) marked with a -.
es. $-2+3=+1$
es. $+2-5=-3$

$1^{\circ}$ es. We start from -2 and add 3
$2^{\circ}$ es. We start from +2 and subtract 5

We used relative numbers in daily life.

elevator

thermometer

## Relative numbers

When we talk about multiplication or division we have to multiply or divide the numbers and for signs we can use this table:

+ times/divided + = +
+ times/divided - = -
- times/divided - = +

$$
\begin{array}{rll}
\text { es. }(+5) \cdot(-2)=-10 & (+2) \cdot(+3)=+6 & (-10) \cdot(-3)=+30 \\
(+6):(+3)=+2 & (+10):(-2)=-5 & (-12):(-6)=+2
\end{array}
$$

of course also with fractions!

## Algebra

$$
\begin{gathered}
a^{n} \times b^{n}=(a \times b)^{n} \\
a^{n}: b^{n}=(a: b)^{n} \\
a^{n} \times a^{p}=a^{n+p} \\
a^{n}: a^{p}=a^{n-p} \\
\left(a^{n}\right)^{p}=a^{n \times p} \\
a^{0}=1
\end{gathered}
$$

We use algebra to write formulas and relationships between quantities

We use algebra to solve equations

$$
(7-3 x) 2+x=5-3(5-x)
$$

We use algebra to rappresent curves in the Cartesian plane

$$
y \cdot x=24
$$



